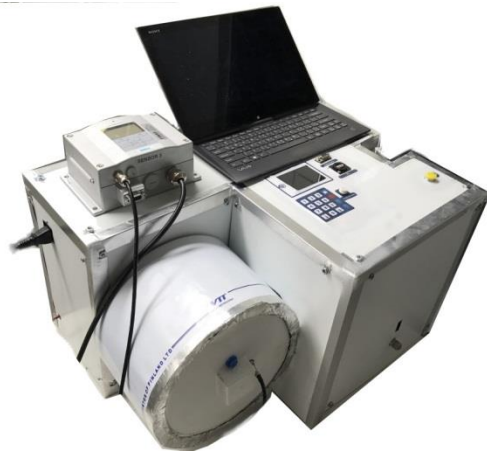




New approach to calibrate a RH probe and its application to field calibrations

HIT workshop , PTB, Braunschweig, Germany 16 to 17 November 2017
Shahin Tabandeh, Martti Heinonen

Outline

- Non-static calibration
 - Calibration coefficient redefinition for ramps
 - Generalization
 - Calibration by comparison of slopes
 - Temperature contribution
 - 2D calibration
- Calibrator design
 - Kinetic design
 - Dynamic design
 - Dehumidifier design
 - Humidifier design
- Calibrator Prototyping and testing
 - Time stability
 - Operating features

Non-static calibration

Classical calibration by comparison

$$C = \frac{RH_r}{RH_c} = \frac{Ar}{Ac}$$

Non-static calibration by comparison

$$C = \frac{Ar}{Ac} = \frac{y_{4r}}{y_{4c}} = \frac{y_r - y_{r,1} - y_{r,2} - y_{r,3}}{y_c - y_{c,1} - y_{c,2} - y_{c,3}}$$

$$C = \frac{Ar}{Ac} = \frac{\dot{y}_{4r}}{\dot{y}_{4c}} = \frac{\dot{y}_r - \dot{y}_{r,1} - \dot{y}_{r,2}}{\dot{y}_c - \dot{y}_{c,1} - \dot{y}_{c,2}}$$

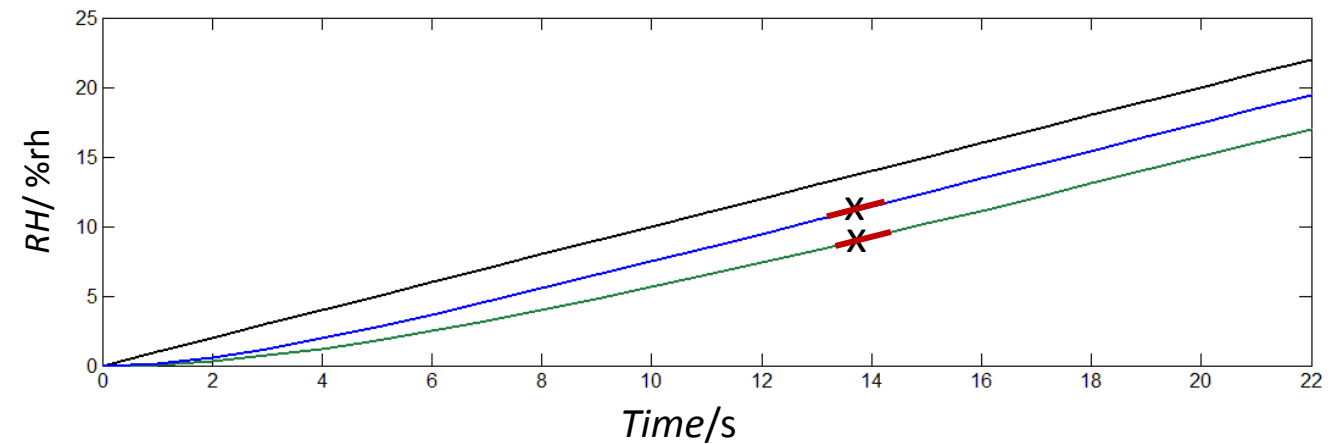
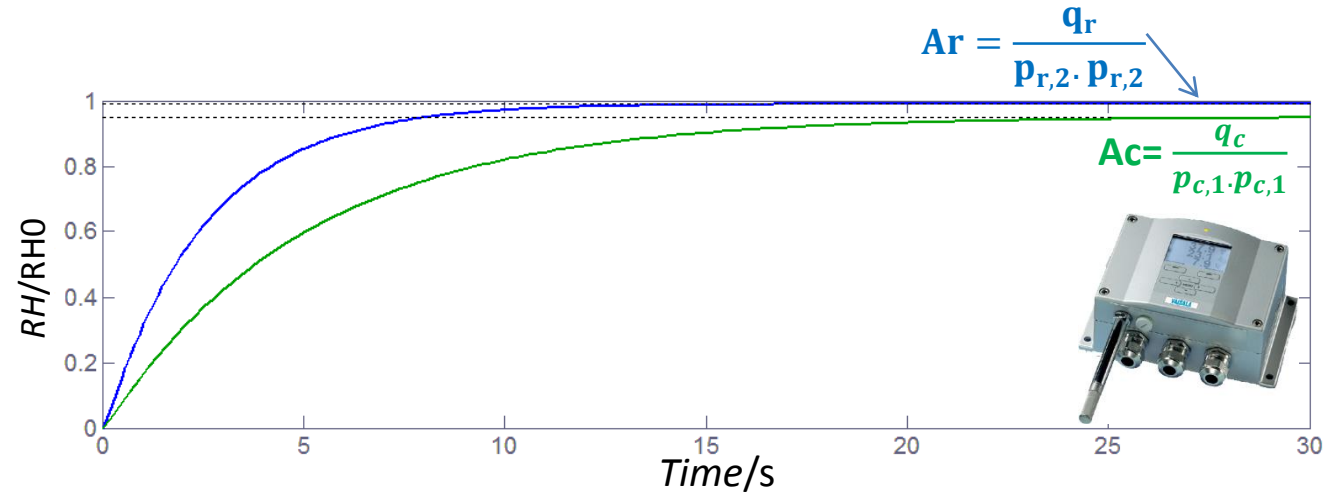
Where:

$$y1 = \frac{\alpha q e^{p1t}}{p1^2 \cdot (p1 - p2)}$$

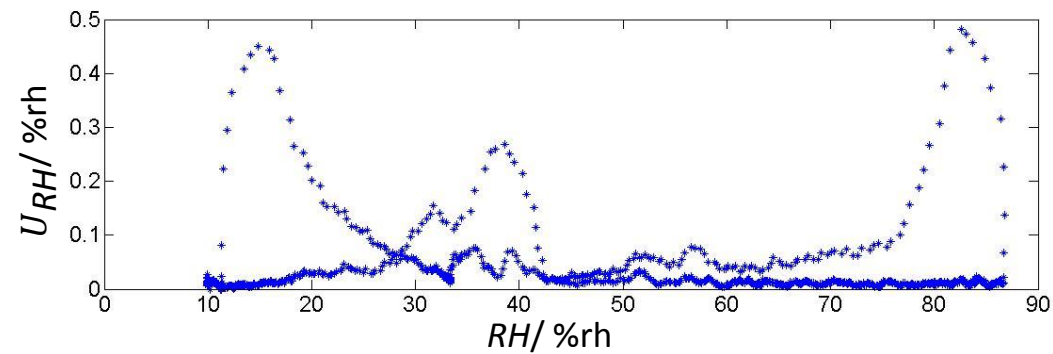
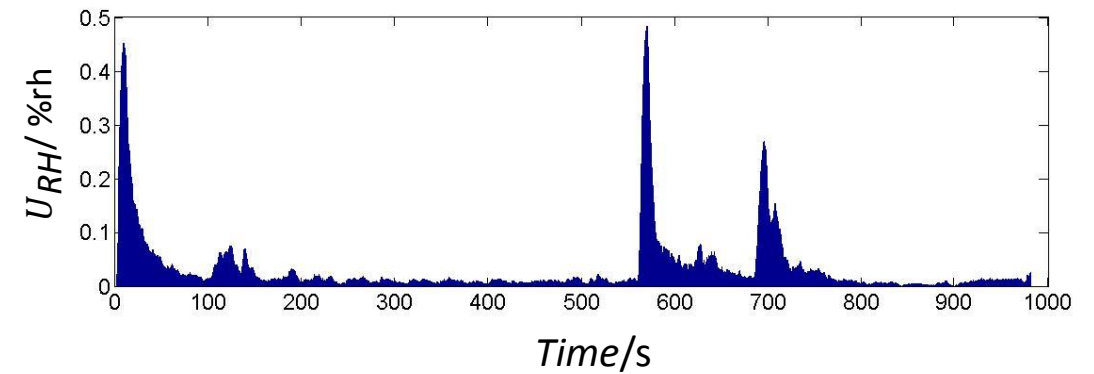
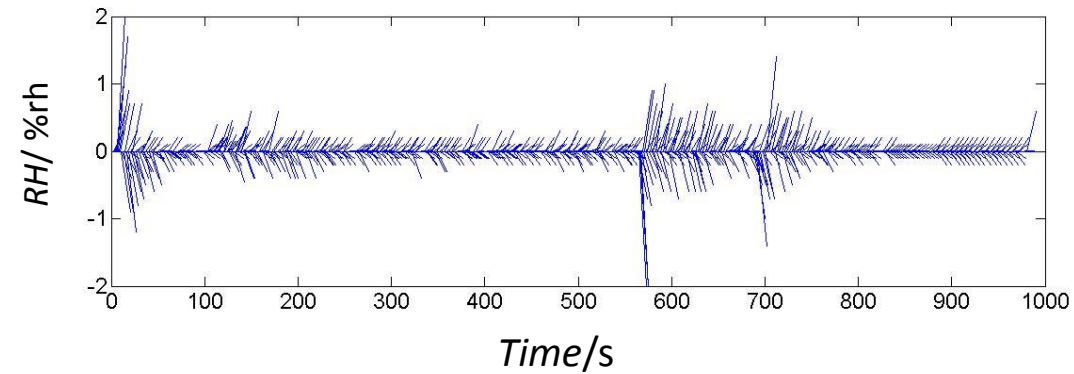
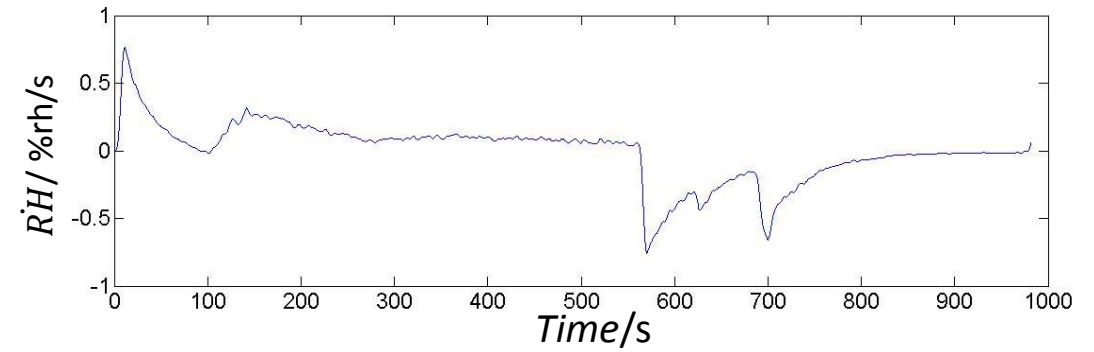
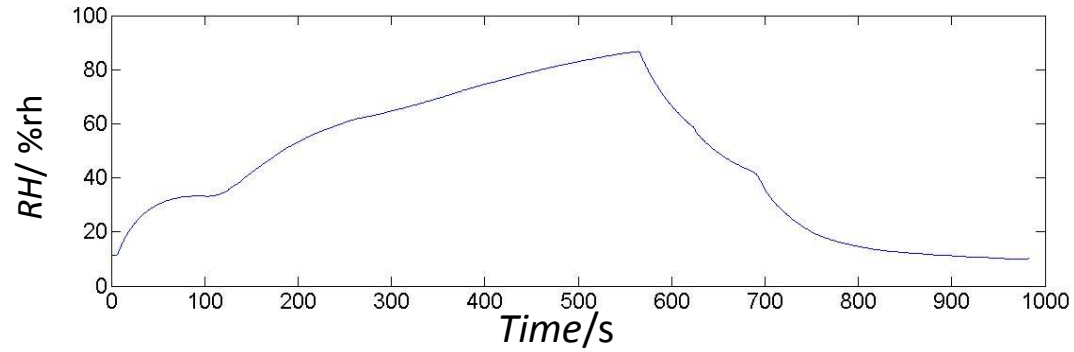
$$y3 = \frac{\alpha q (p1 + p2)}{p1^2 \cdot p2^2}$$

$$y2 = -\frac{\alpha q e^{p2t}}{p2^2 \cdot (p1 - p2)}$$

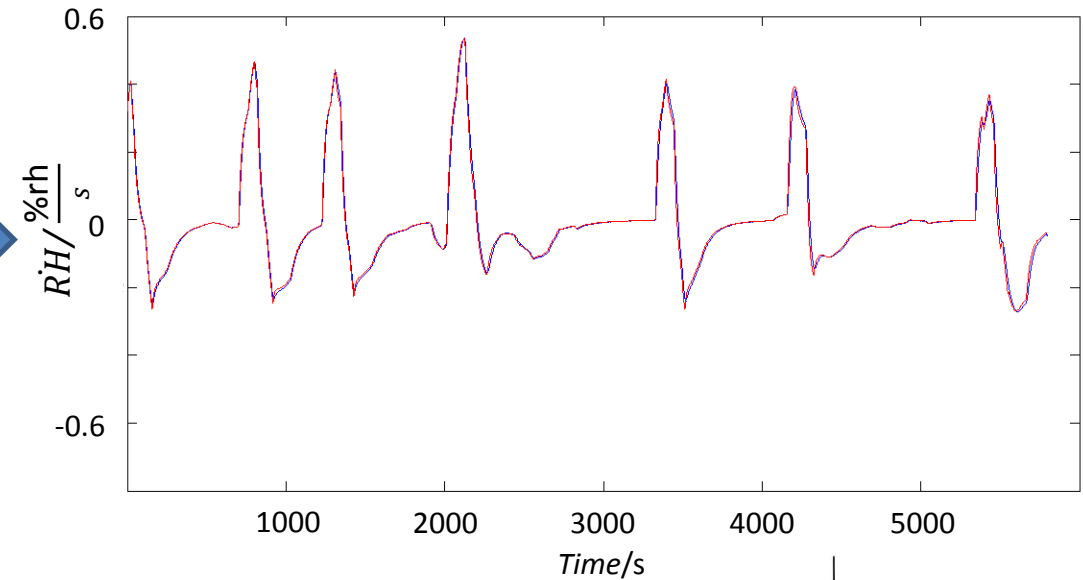
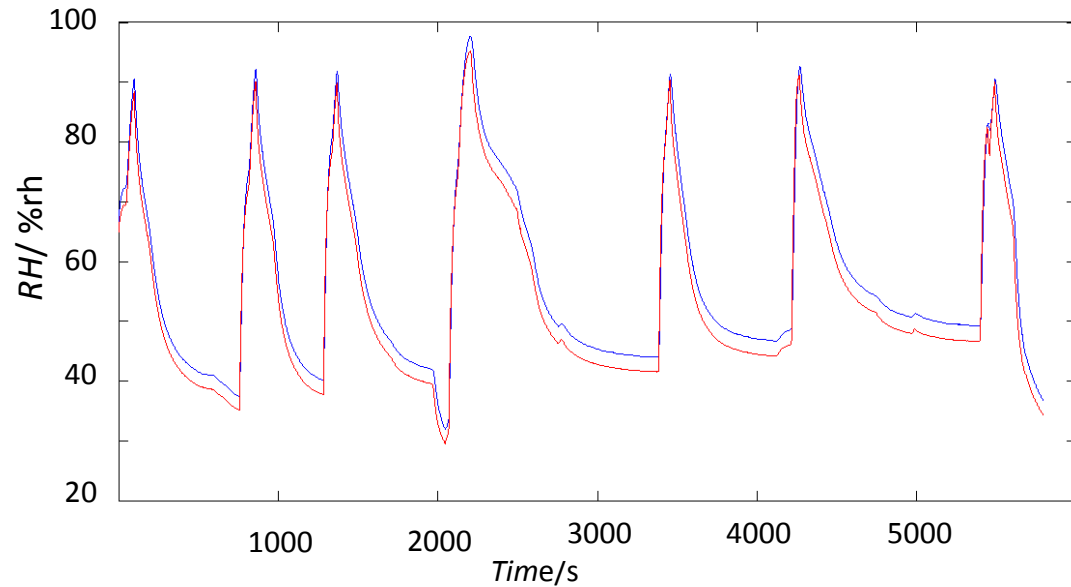
$$y4 = \frac{\alpha q t}{p1 \cdot p2}$$



Generalization-arbitrary profiles



Calibration by comparison of slopes

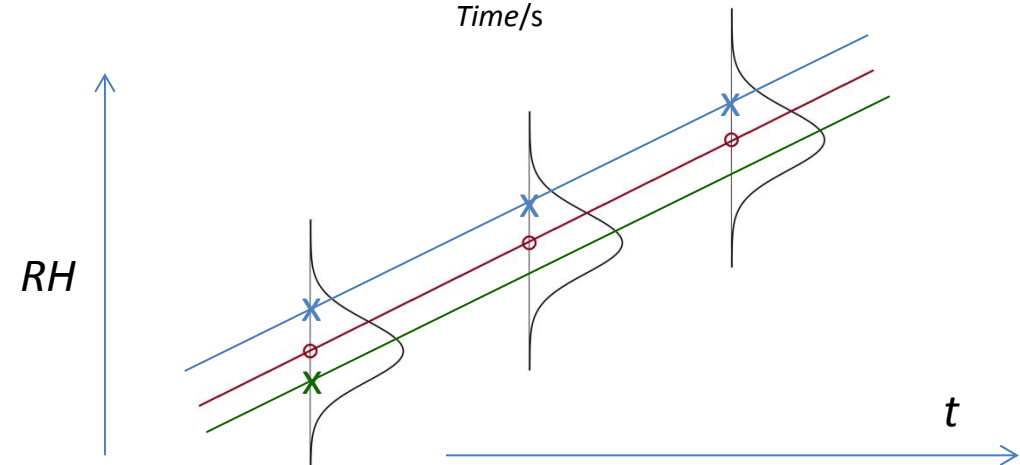


Advantages:

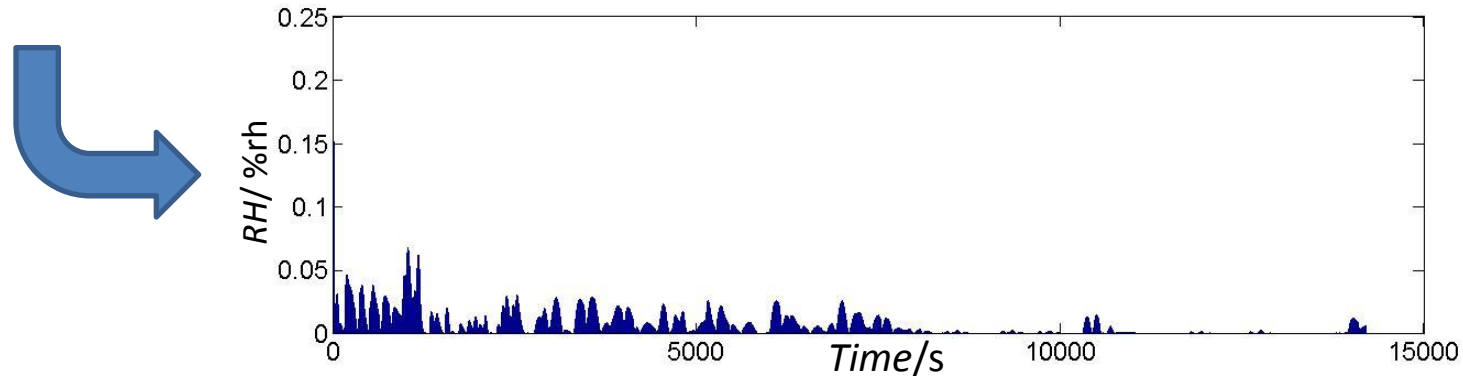
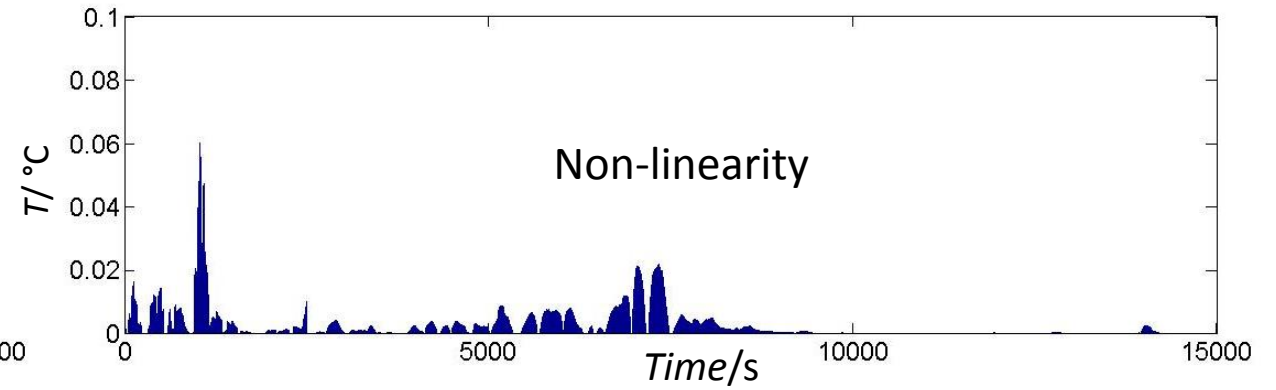
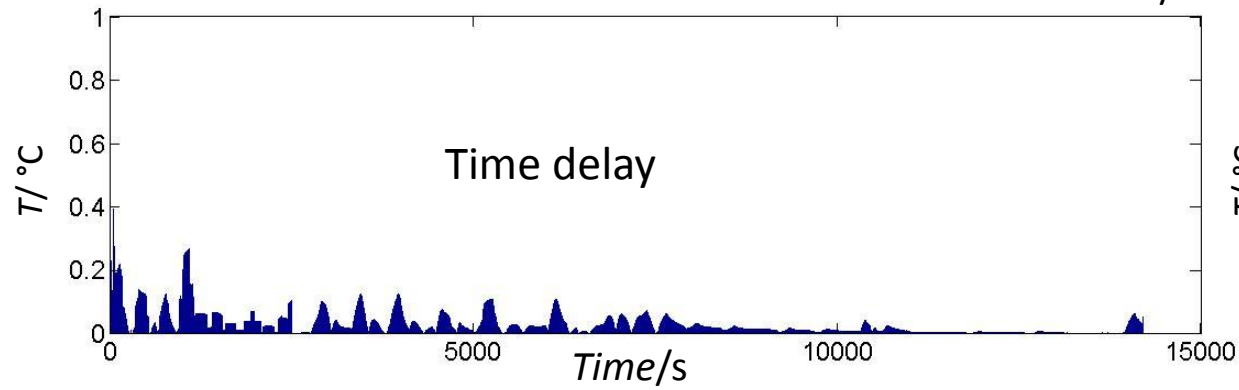
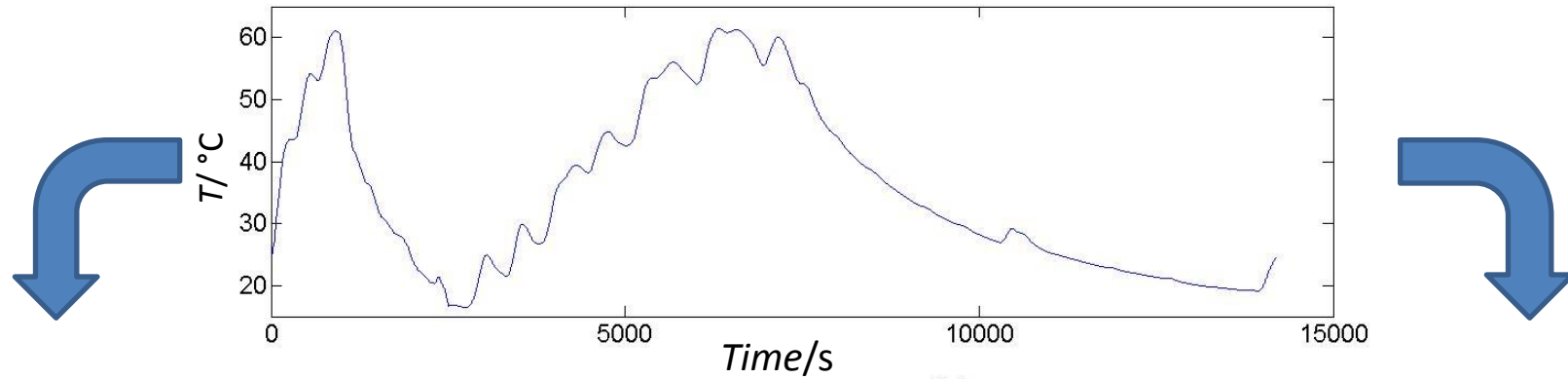
- 1) Time constant non-sensitivity
- 2) Improved temperature dependency
- 3) Perfect reproducibility

Disadvantage:

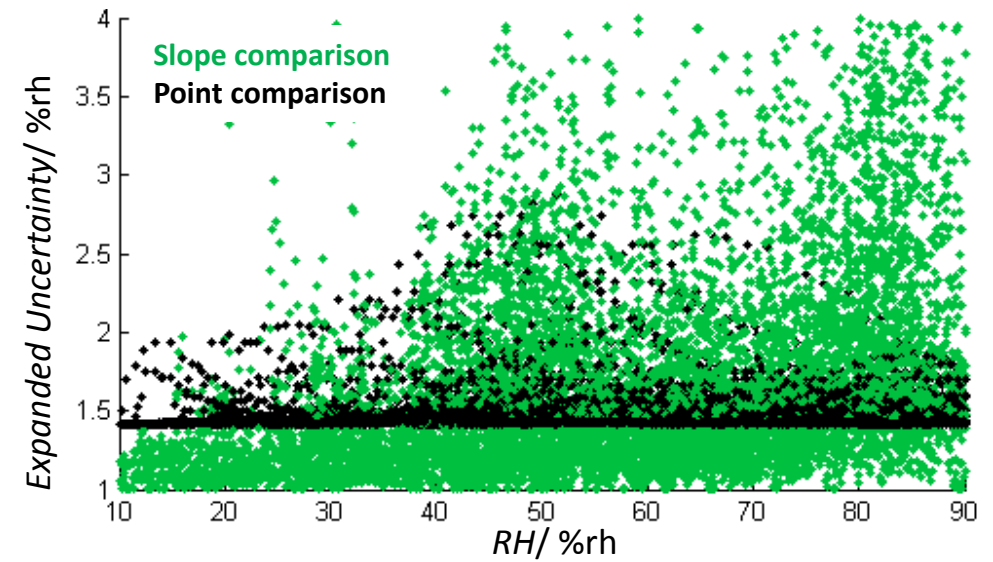
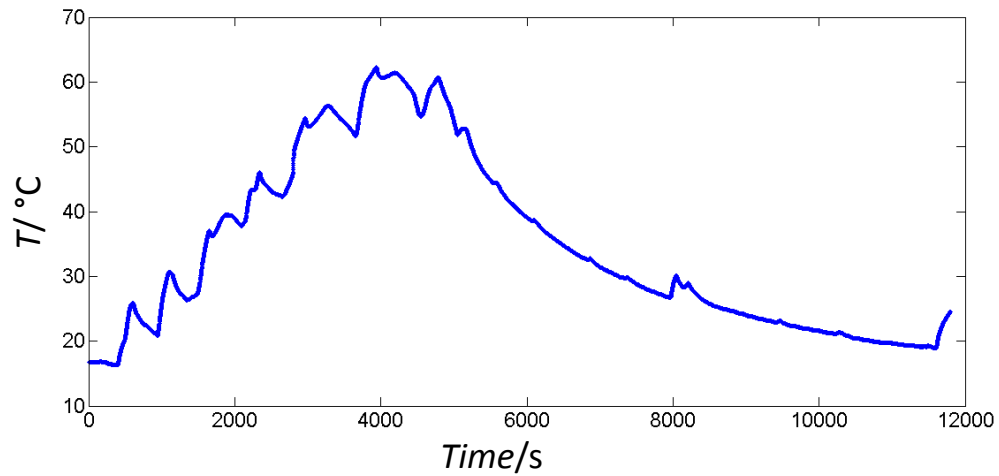
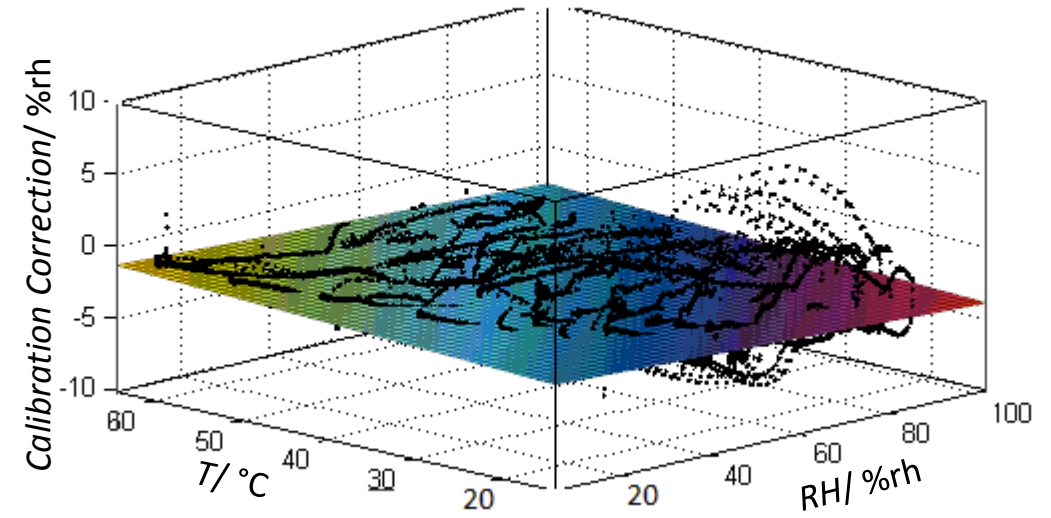
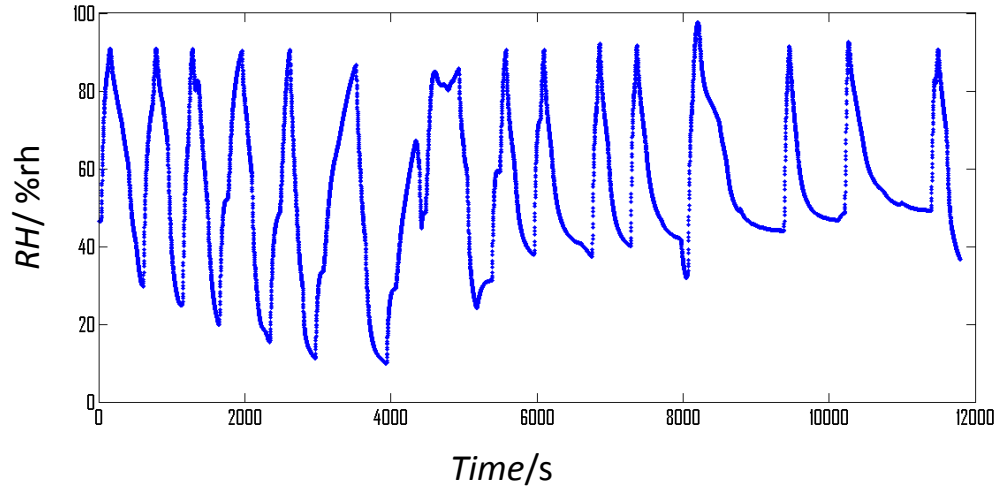
Slow slopes increase the uncertainty dramatically



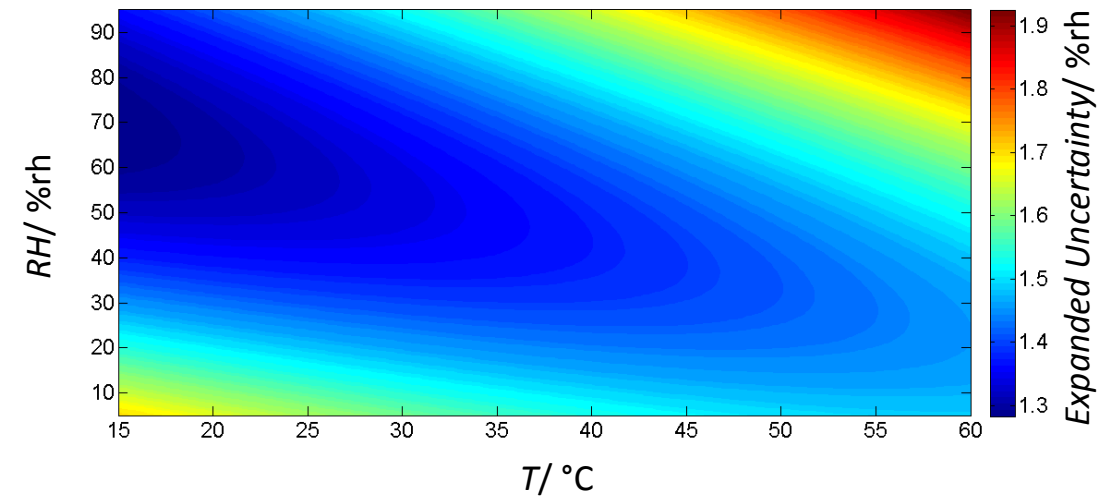
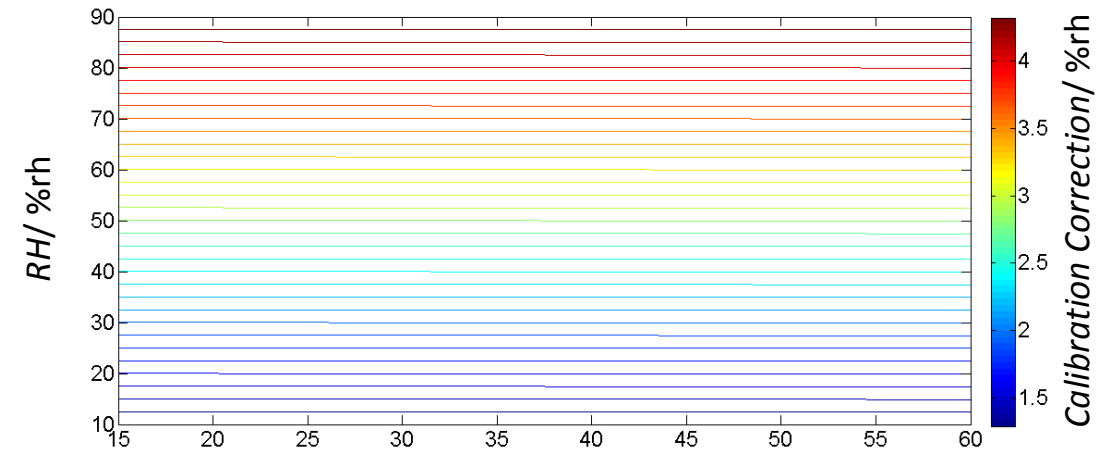
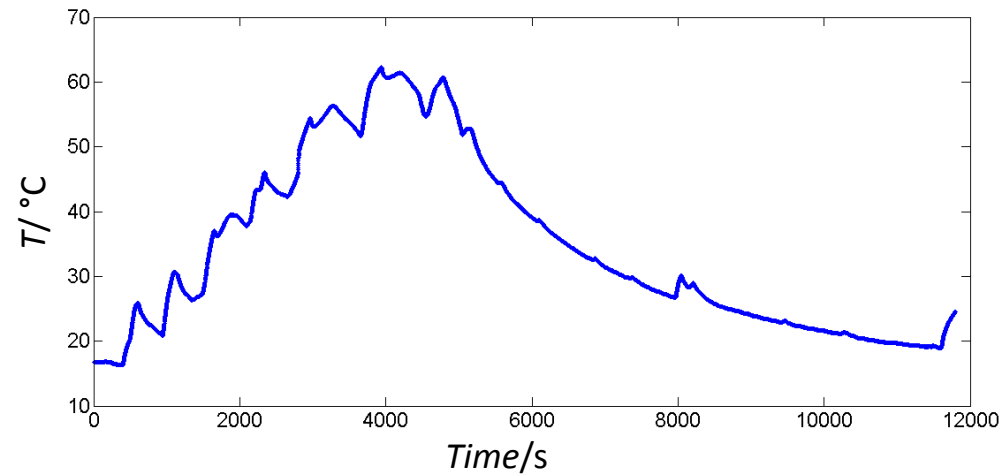
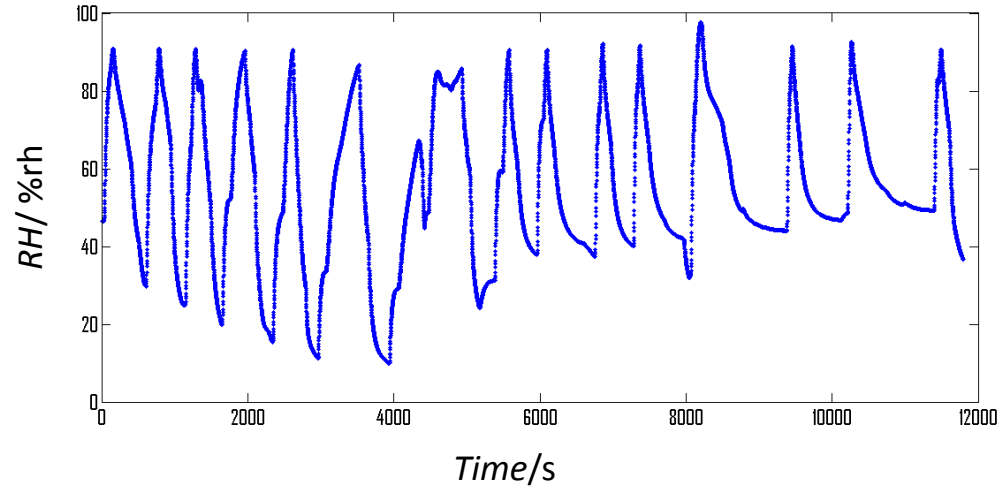
Temperature contribution



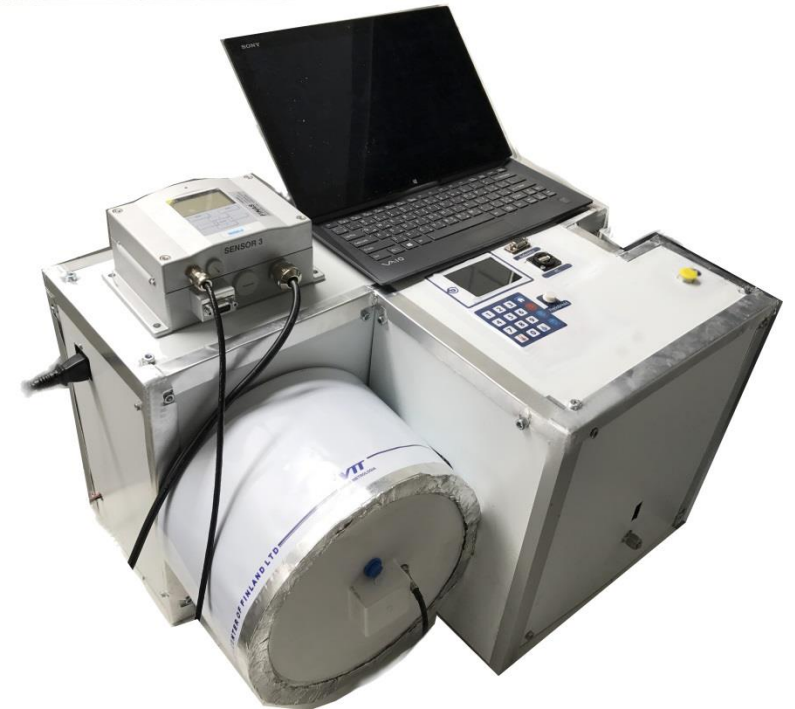
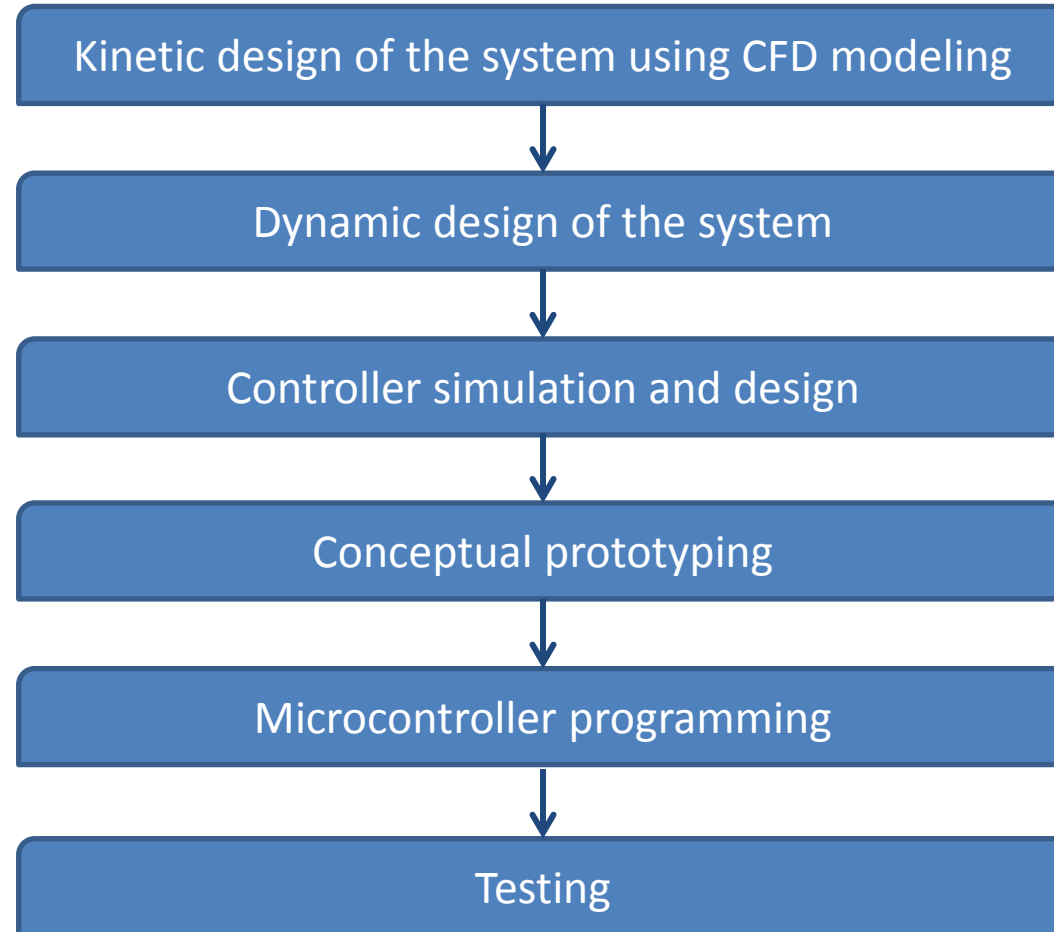
2D calibration



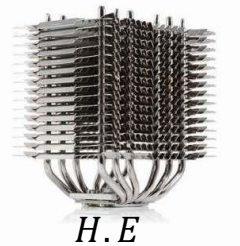
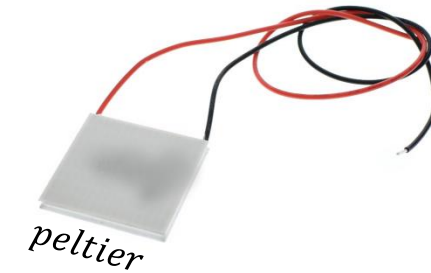
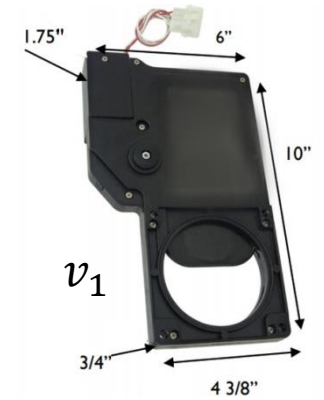
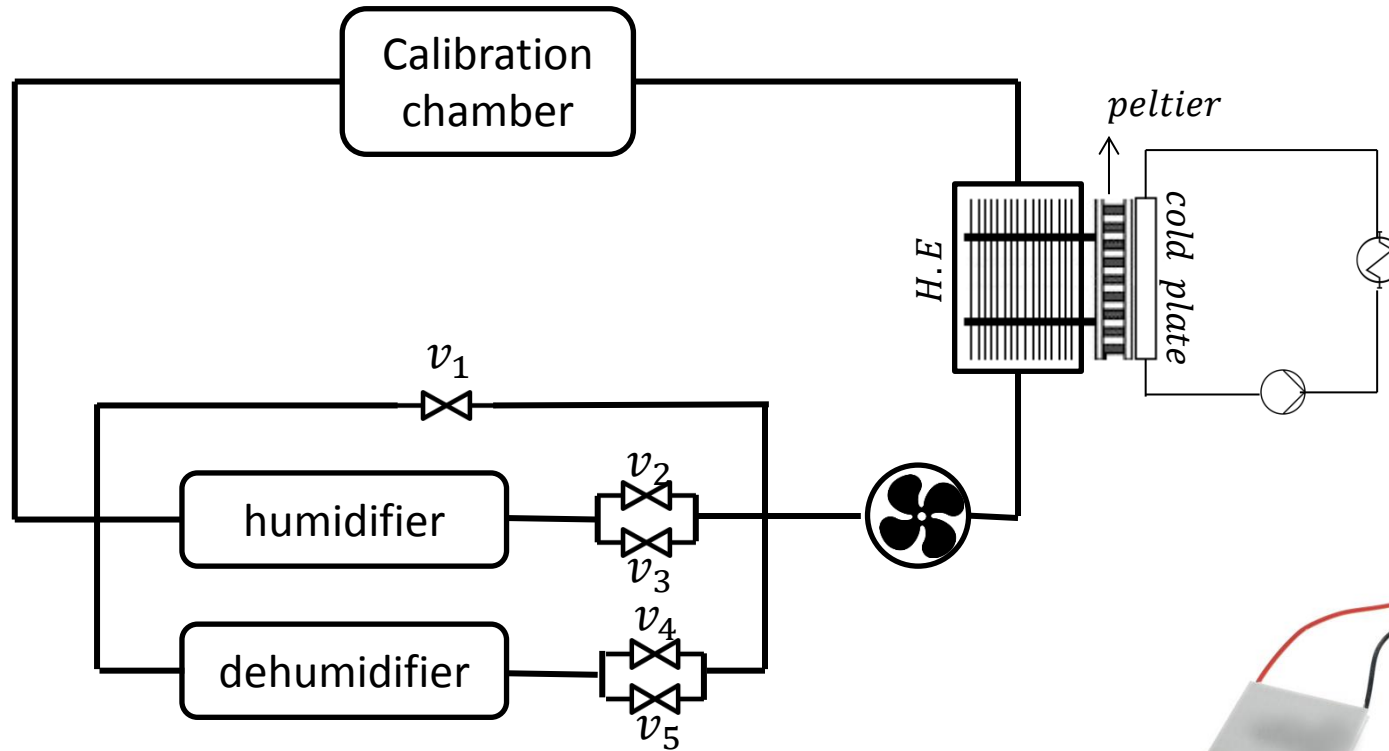
2D calibration



Design and prototyping of a humidity calibrator



Working principle



$$RH(t + \Delta t) = \frac{(V - Q_v \Delta t) RH + (Q_v \Delta t) RH_{up}}{V}$$

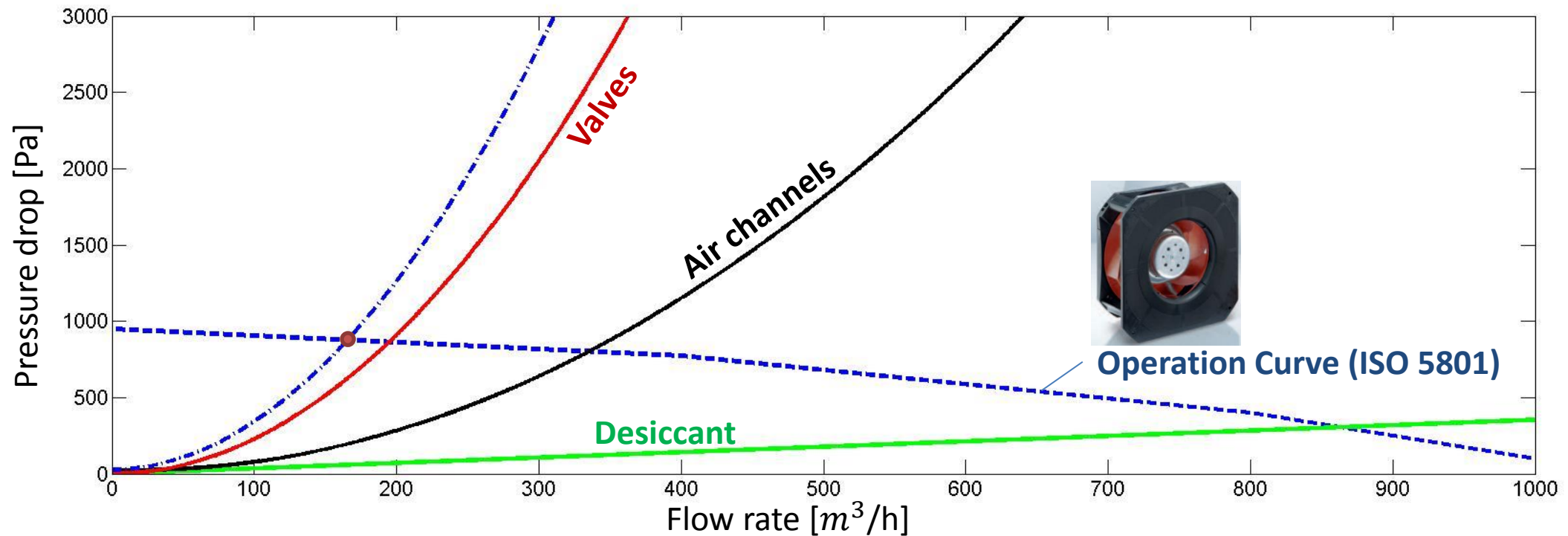
$$\dot{RH} = \lim_{\Delta t \rightarrow 0} \frac{RH(t + \Delta t) - RH(t)}{\Delta t} = \frac{Q_v}{V} (RH_{UP} - RH(t))$$

Kinetic design

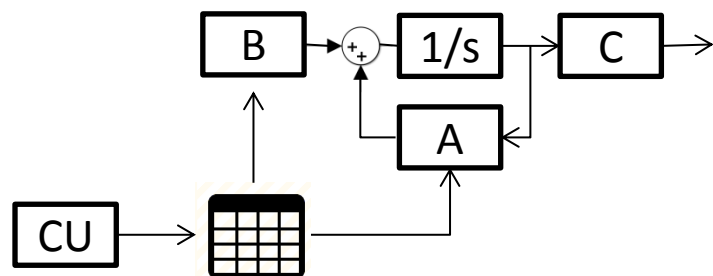
Pressure drop over the dehumidifier box and air channels are estimated by CFD models.

The operation point is $2.7 \text{ m}^3/\text{min}$ which guarantees a fast and homogeneous temperature and humidity changes.

A low pressure drop (i.e. 875 Pa) gives the opportunity of having a light and cheap impeller.



Dynamic design



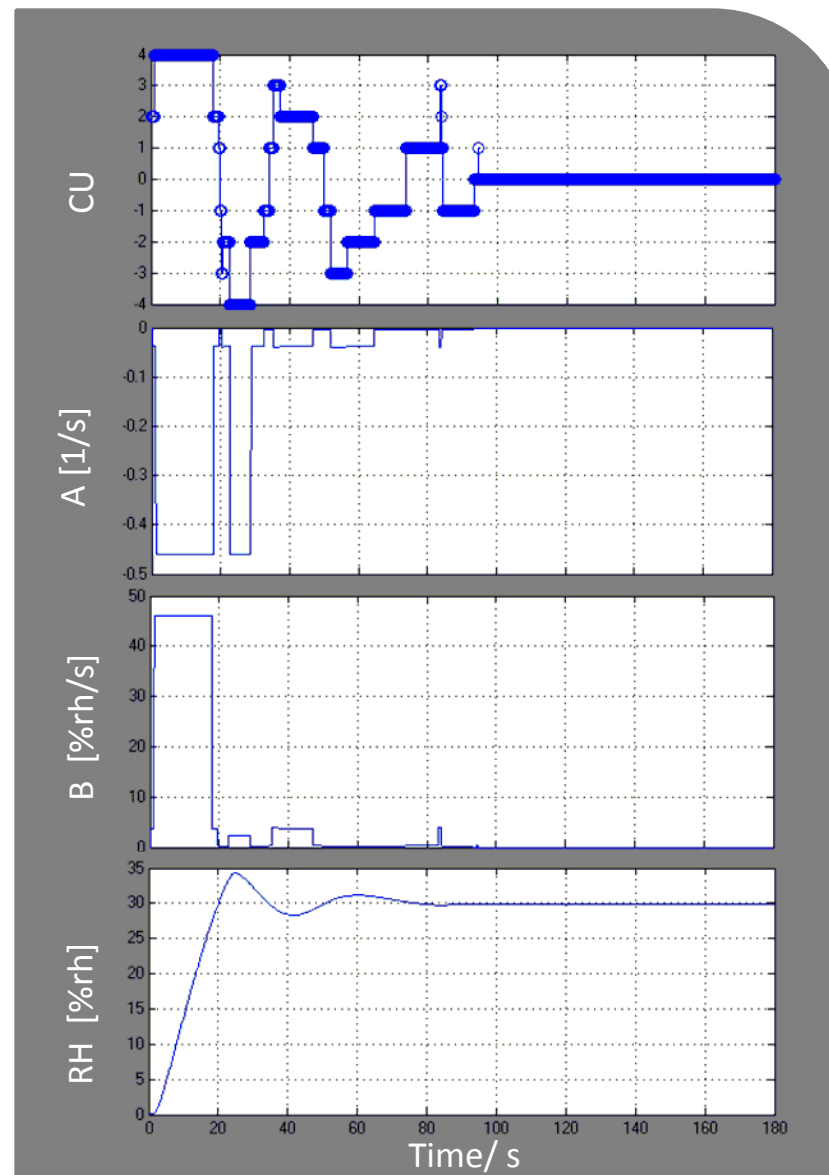
$$A = \frac{-Q_v}{V \cdot 3.6}$$

$$B = \frac{RH_{up} \cdot Q_v}{V \cdot 3.6}$$

$$C = 1$$

to dry
↑
to humidify

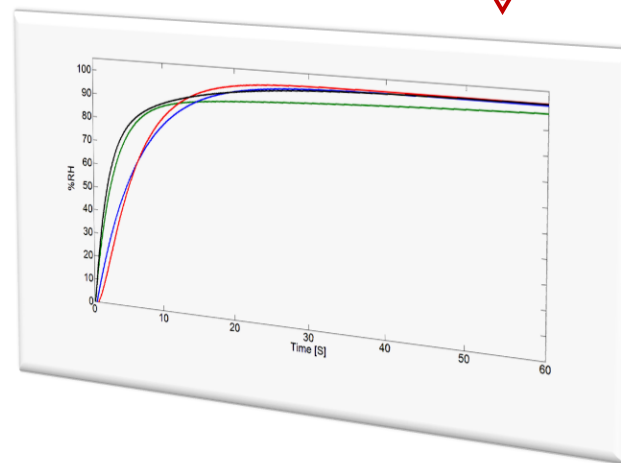
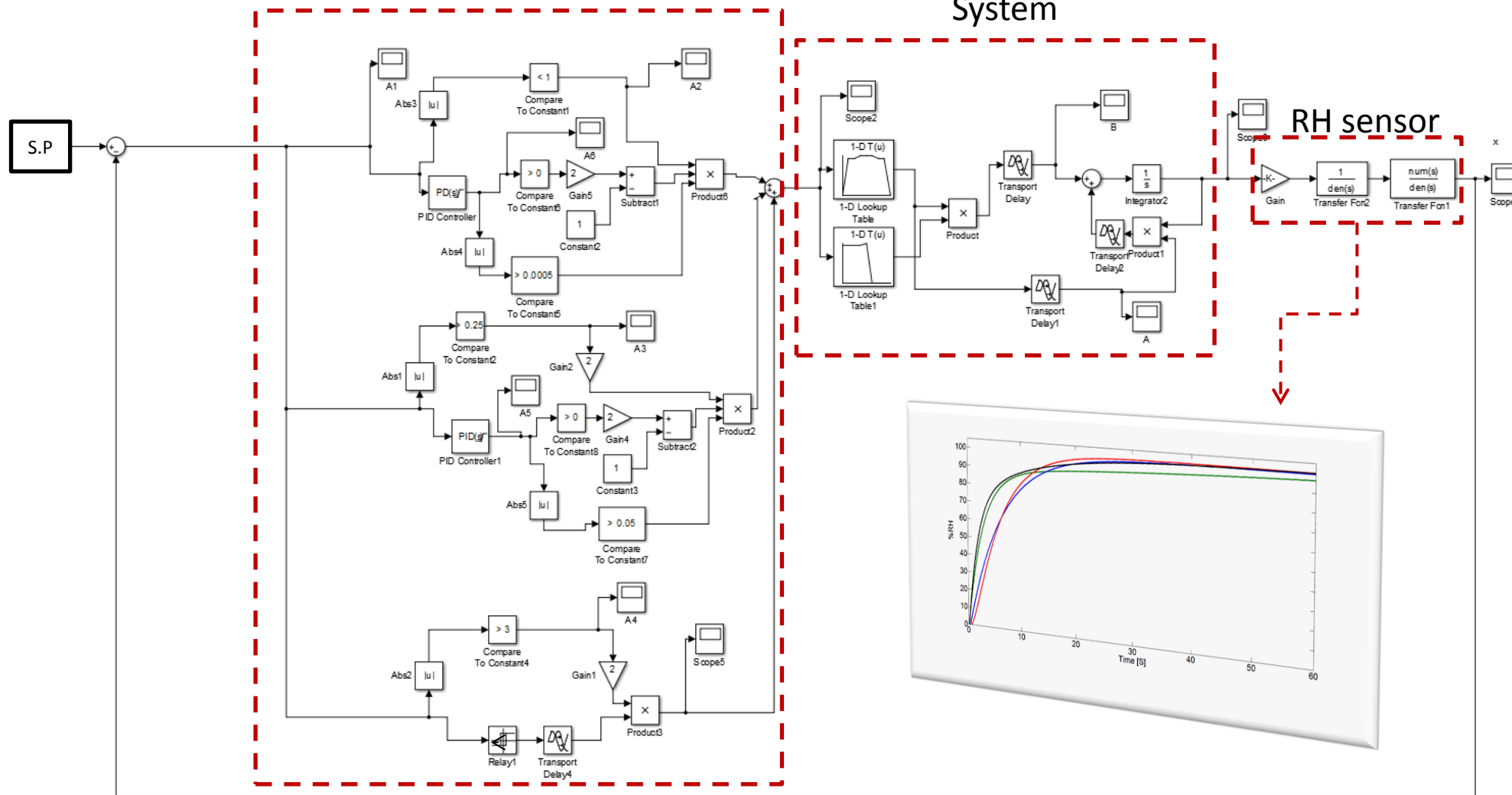
Position of the Valves	Qv of BDV [m3/h]	Qv of SDV [m3/h]	Qv of SHV [m3/h]	Qv of BHV [m3/h]
-4	28.18	0	0	0
-3	2.295	0.19	0	0
-2	2.295	0	0	0
-1	0	0.19	0	0
0	0	0	0	0
1	0	0	0.19	0
2	0	0	0	2.295
3	0	0	0.19	2.295
4	0	0	0	28.18



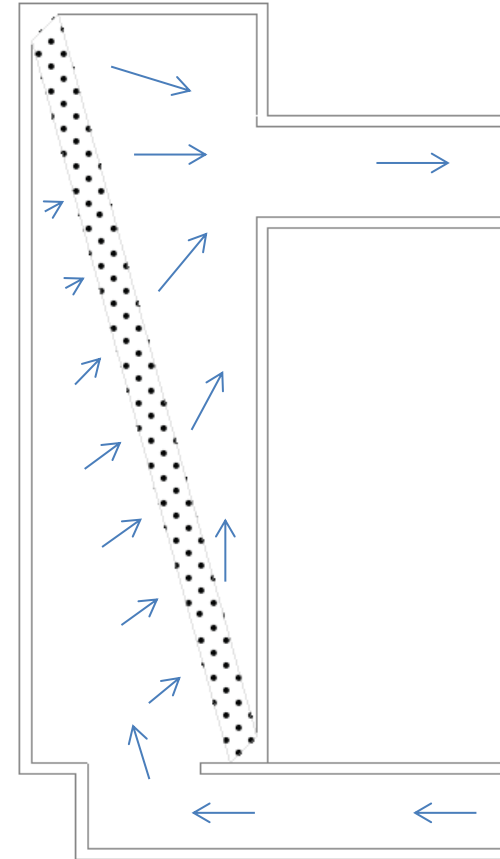
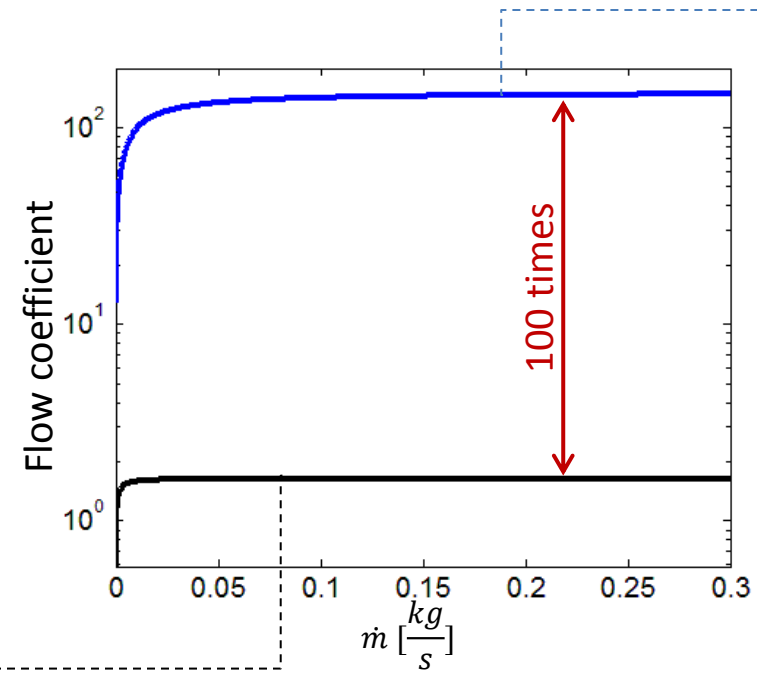
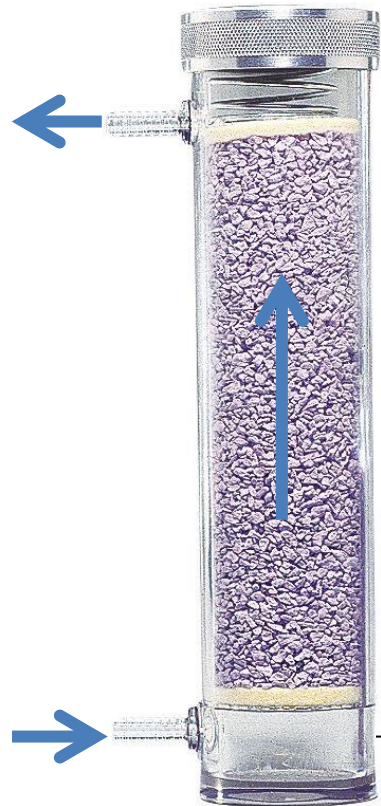
Dynamic design

Controller

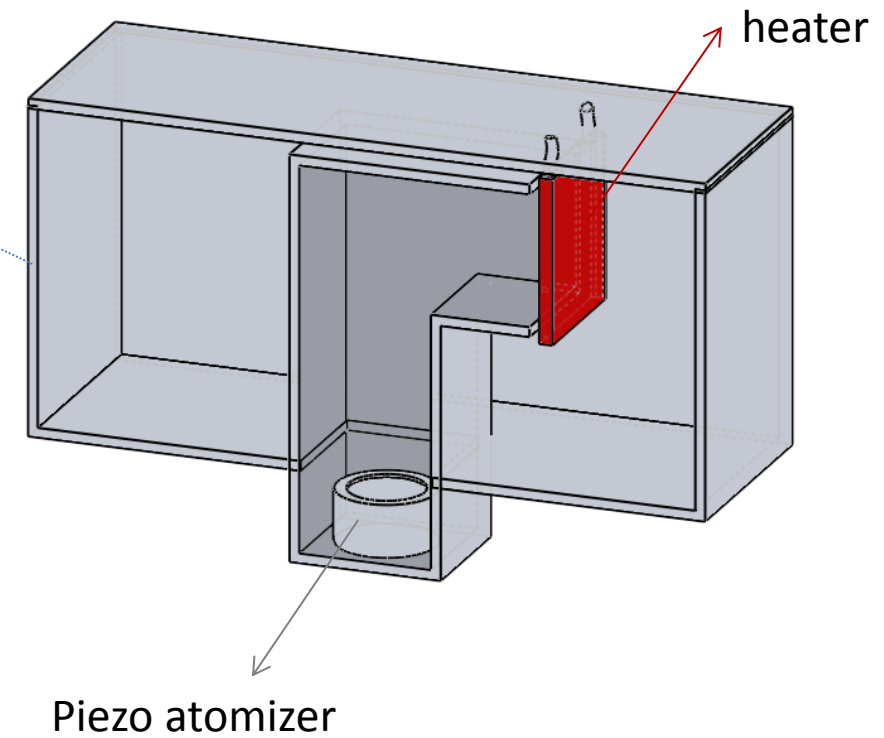
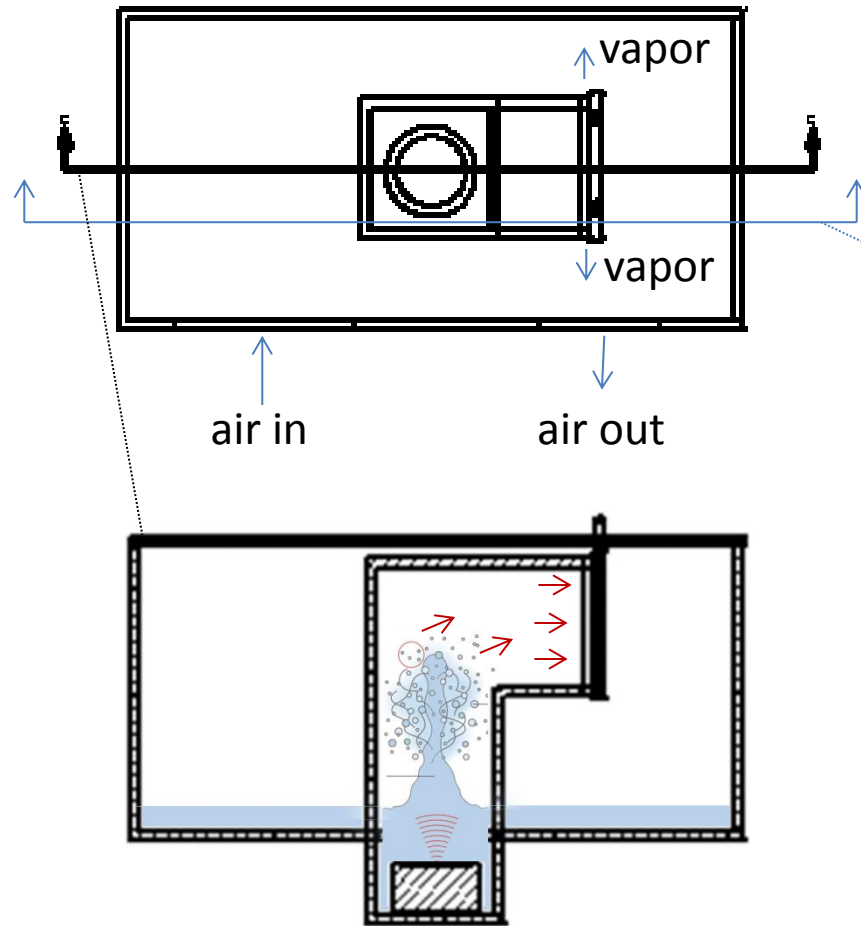
System



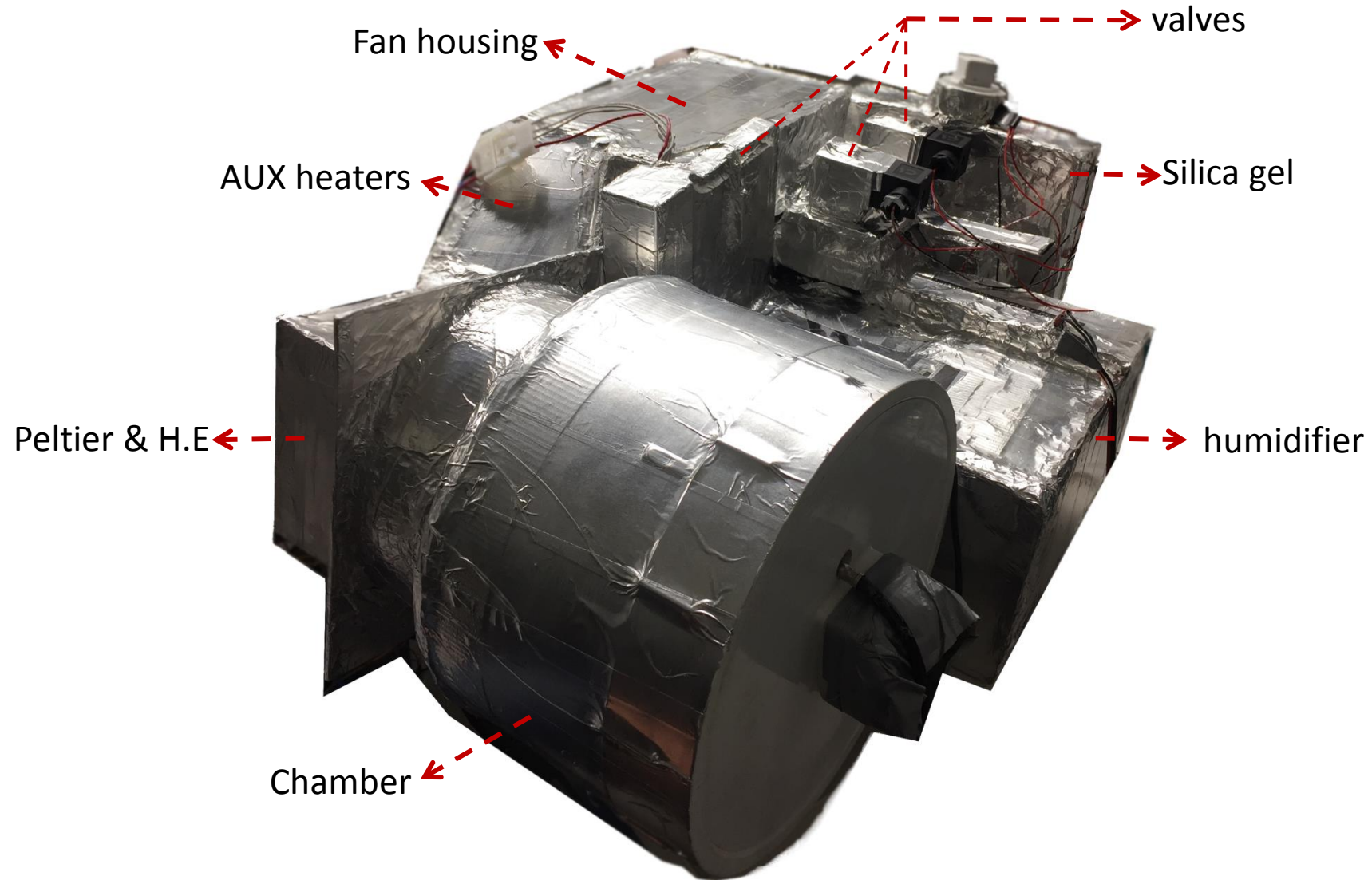
Dehumidifier



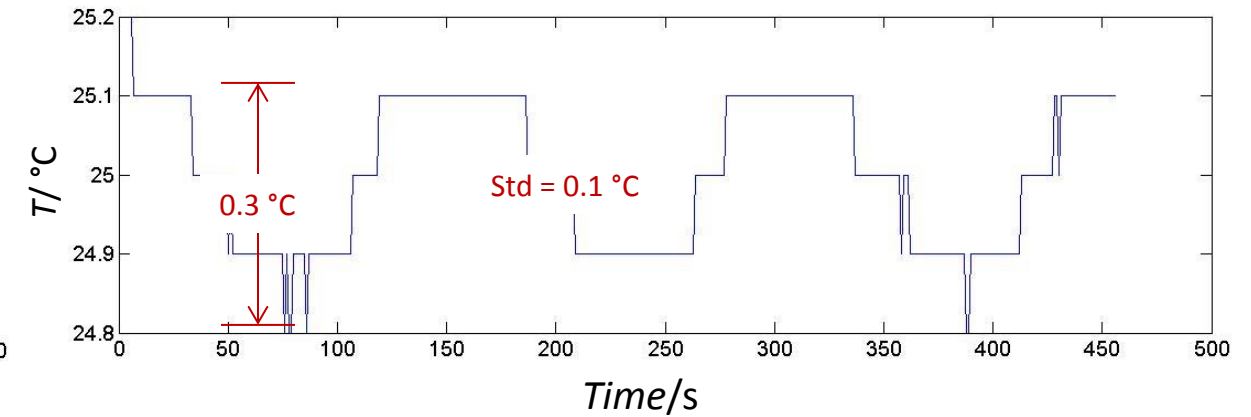
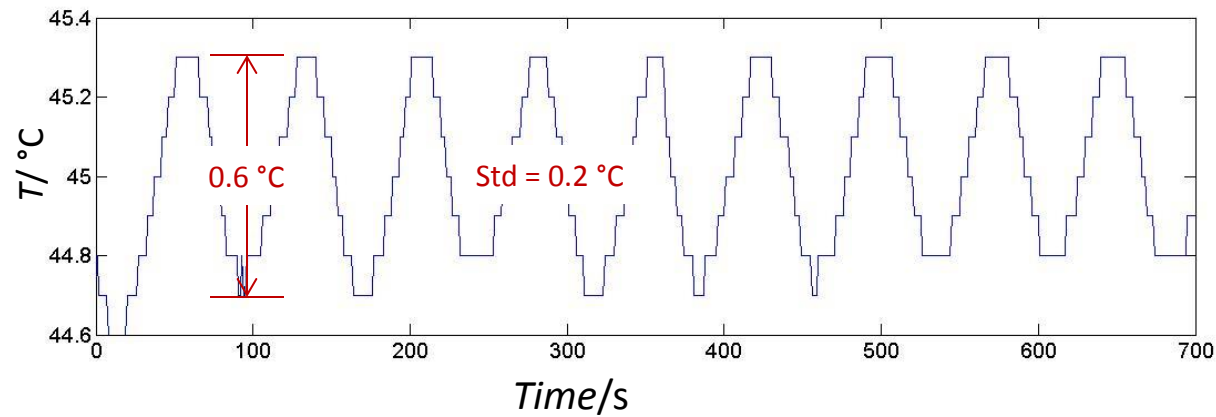
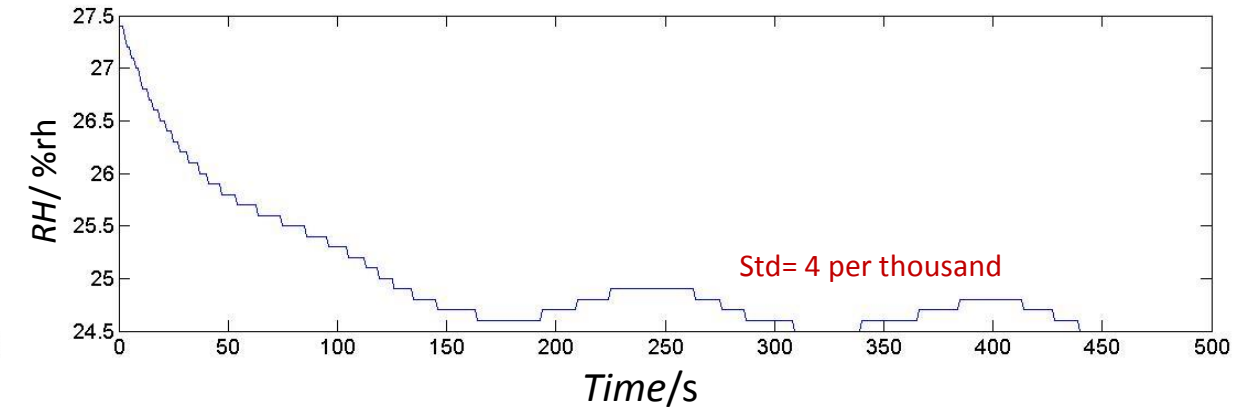
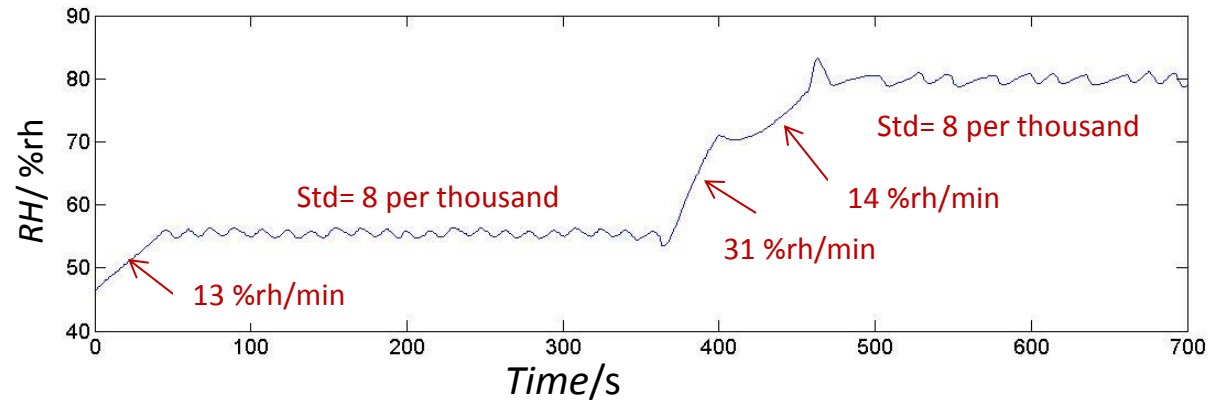
Humidifier



Prototyping

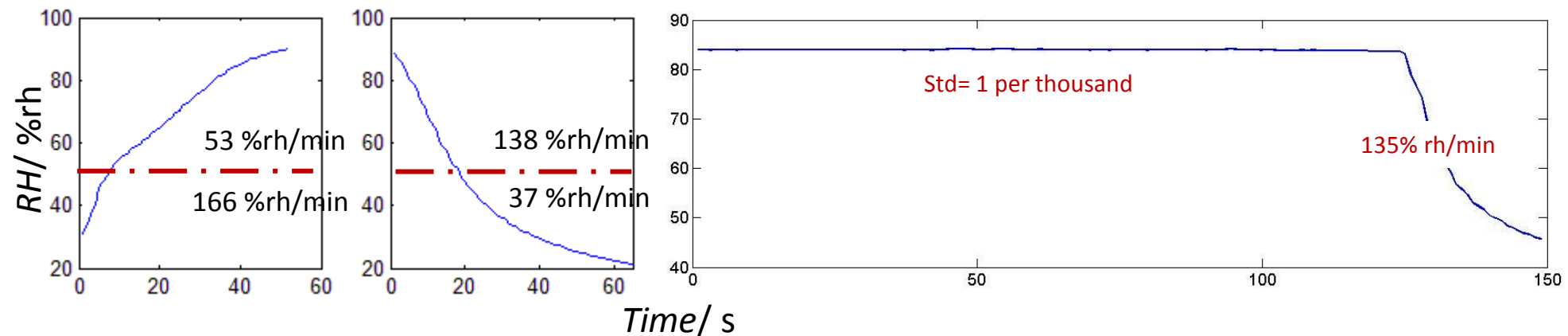


Operation



Specifications

	RHapidCal (fluke)	VTT calibrator
Cooling rate	1.5 °C/minute (Typical)	1.5 to 2.2 °C /minute
Heating rate	10 °C /minute (Typical)	10 °C /minute (Avg)
Dehumidification rate	5 % rh/minute (Typical)	60% rh/minute (Avg)
Humidification rate	10 % rh/minute (Typical)	63 % rh/minute (Avg)
Max T_{dp}	32 °C	59 °C
Min T_{dp}	Not reported	3 °C
RH time stability	2-7% of Reading	0.8% of Reading
T time stability	1% of Reading	0.4% of Reading





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s.tabandeh@inrim.it